Hierarchical MT with Discontinuous Phrases

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Thanks to Laura Kallmeyer and Wolfgang Maier

September 2015

Idea

Use Synchronous LCFRS instead of SCFG for translation modeling

LCFRS: Linear Context-Free Rewriting Systems

(Vijay-Shanker et al., 1987; Weir, 1988)

- mildly context-sensitive formalism
- suitable for the direct modeling of discontinuous constituents
- Probabilistic data-driven parsing with LCFRS is feasible. (Maier, 2010; van Cranenburgh and Bod, 2013; Kallmeyer and Maier, 2013)

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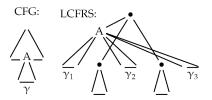
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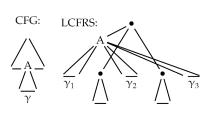
Discontinuous phrase-based SMT (Galley and Manning, 2010)

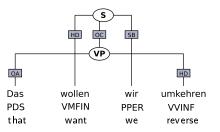
- → improvement in BLEU score for Chinese-English
- → this work: hierarchical, tree-based counterpart

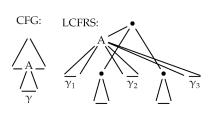
CFG:

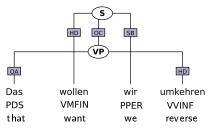




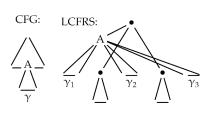


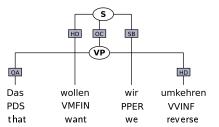






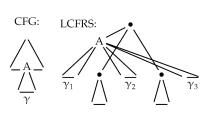
$$VP(X_1, X_2) \rightarrow PDS(X_1)VVINF(X_2)$$

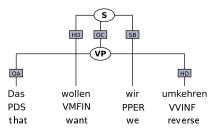




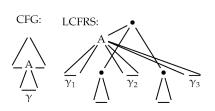
$$VP(X_1, X_2) \rightarrow PDS(X_1)VVINF(X_2)$$

 $S(X_1X_2X_3X_4) \rightarrow VMFIN(X_2)PPER(X_3)VP(X_1, X_4)$

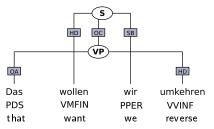




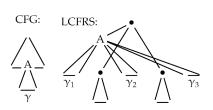
$$\begin{array}{l} \mathit{VP}(X_1,X_2) \to \mathit{PDS}(X_1)\mathit{VVINF}(X_2) \\ S(X_1X_2X_3X_4) \to \\ \mathit{VMFIN}(X_2)\mathit{PPER}(X_3)\mathit{VP}(X_1,X_4) \\ \mathit{PDS}(\mathsf{Das}) \to \varepsilon \\ \mathit{VMFIN}(\mathsf{wollen}) \to \varepsilon \\ \mathit{PPER}(\mathsf{wir}) \to \varepsilon \\ \mathit{VVINF}(\mathsf{umkehren}) \to \varepsilon \end{array}$$



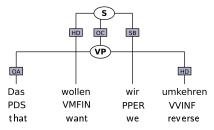
• (u, v)-LCFRS: grammar G with rank u and fan-out v



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- (u,v)-LCFRS: grammar G
 with rank u and fan-out v
- G with fan-out 1: equivalent to CFG



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Synchronous LCFRS (SLCFRS)

A tuple $G = (N_s, N_t, T_s, T_t, V_s, V_t, P, S_s, S_t)$ where

- N_s , T_s , V_s , S_s , resp. N_t , T_t , V_t , S_t are defined as for LCFRS \rightarrow alphabets for the *source* and *target side* respectively.
- P is a finite set of synchronous rewriting rules $\langle r_s, r_t, \sim \rangle$ where
 - r_s and r_t are LCFRS rewriting rules based on N_s , T_s , V_s and N_t , T_t , V_t respectively, and
 - $\bullet \sim$ is a bijective mapping of the non-terminals in the RHS of r_s to the non-terminals in the RHS of r_t .
 - \rightarrow co-indexation

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 - \rightarrow co-indexation
- During a derivation, the yields of two co-indexed non-terminals have to be explained from one synchronous rule. $\langle S_s, S_t \rangle$ is the start pair.
- Fan-out v of G: $v_{G_s} + v_{G_t}$ (Notation: $v_{v_{G_s}|v_{G_t}}$)

SLCFRS Example

SCFG:

$$\langle X
ightarrow$$
 ne veux plus $X_{\boxed{1}}$ $\langle X
ightarrow$ jouer

, $X o \mathsf{do} \ \mathsf{not} \ \mathsf{want} \ \mathsf{to} \ X_{\square} \ \mathsf{anymore} \rangle$

,
$$X o \mathsf{to} \mathsf{play}$$

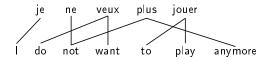
SLCFRS:

$$\langle X(\text{ne veux plus } Y_1) \rightarrow X_{\overline{11}}(Y_1)$$

, $X(\mathsf{do} \ \mathsf{not} \ \mathsf{want} \ \mathsf{to} \ Z_1 \ \mathsf{anymore}) o X_{\boxed{1}}(Z_1)
angle$

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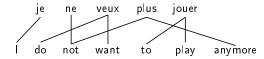
SCFG:

$$\begin{array}{ll} \langle X \to \mathsf{ne} \ \mathsf{veux} \ \mathsf{plus} \ X_{\boxed{\coprod}} &, \quad X \to \mathsf{do} \ \mathsf{not} \ \mathsf{want} \ \mathsf{to} \ X_{\boxed{\coprod}} \ \mathsf{anymore} \rangle \\ \langle X \to \mathsf{jouer} &, \quad X \to \mathsf{to} \ \mathsf{play} \end{array}$$

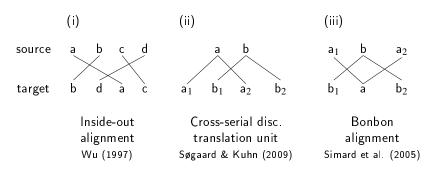
SLCFRS:

$$\begin{array}{ll} \langle X(\text{ne veux plus } Y_1) \to X_{\boxed{\square}}(Y_1) & , \quad X(\text{do not want to } Z_1 \text{ anymore}) \to X_{\boxed{\square}}(Z_1) \rangle \\ \langle X(\text{jouer}) \to \varepsilon & , \quad X(\text{to play}) \to \varepsilon \rangle \end{array}$$

$$\begin{split} \langle X(\mathsf{veux}) \to & \varepsilon &, \quad X(\mathsf{do} \ , \ \mathsf{want}) \to \varepsilon \rangle \\ \langle X(\mathsf{ne} \ Y_1 \ \mathsf{plus} \ Y_2) \to & X_{\boxed{\square}}(Y_1) X_{\boxed{2}}(Y_2) &, \quad X(Z_1 \ \mathsf{not} \ Z_2 Z_3 \ \mathsf{anymore}) \to \\ & X_{\boxed{\square}}(Z_1, Z_2) X_{\boxed{2}}(Z_3) \rangle \end{split}$$



Alignment Configurations Beyond SCFG



- \Rightarrow Beyond the alignment capacity of ITG/SCFG of rank 2
 - 5% of Chinese-English sentences have IO alignments (Wellington et al., 2006)
 - 9% of Spanish-French sentences and 5.5% of English-German sentences are beyond 2-SCFG (Kaeshammer, 2013)

- Rule extraction from a word-aligned parallel corpus as for hierarchical phrase-based MT (SCFG)
 - Extraction of initial phrase pairs
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- Restrictions in addition to the usual ones (Chiang, 2007):
 - number of words in a gap (10)
 - no unaligned blocks
 - 3 number of continuous blocks in a phrase (2), cf. (Kaeshammer, 2013)

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- Restrictions in addition to the usual ones (Chiang, 2007):
 - number of words in a gap (10)
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 - number of continuous blocks in a phrase (2), cf. (Kaeshammer, 2013)
- Additional features: source gap degree and target gap degree (number of gaps during a derivation)

Decoder (1)

- Same methodology as for SCFG-based decoding
- Bottom-up CYK parser using the source side of the translation grammar
 - → monolingual weighted LCFRS parsing
 - \rightarrow parse items $[A, \boldsymbol{\rho}, v_t]$
 - ightarrow Specific (2,2)-LCFRS parser because of the specific form of the grammar (rank 2, fan-out $4_{2|2}$) : $\rho = (\langle i_1, j_1 \rangle, \langle i_2, j_2 \rangle)$

Decoder (2)

- Intersection of the parse hypergraph with an n-gram LM: Cube pruning (Huang and Chiang, 2007)
 - → target string of a hypothesis is a tuple of continuous blocks of target words, e.g. (do not want, anymore)
 - ightarrow score each block separately
 - → store a LM state for each block
- Extraction of k-best translations on the hypergraph after cube pruning
- Implementation in C++, including code from KenLM for language modeling

Experimental Setup

- German-to-English translation
- Data from the WMT 2014 translation task (max. 30 words)
- Standard preprocessing and word alignment
- Filter the translation grammar w.r.t. input data set by extracting per-sentence-grammars
- 3-gram LM, KenLM
- For decoding: cube pruning buffer size 400, no limits on the number of words a non-terminal can span
- Tuning the feature weights with MERT, maximizing BLEU-4, using 200-best translations (ZMERT, mert-moses.pl)
- multi-bleu.perl for calculating BLEU scores (lc), repeating each experiment four times, reporting the average

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sy	s(1,1)	-	24.13	23.23

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sys(1,2)	-	23.39	23.24
sys(2,1)		24.17	23.41

Manual Evaluation

- sys(1,1) vs. sys(2,1) system comparison using Appraise
- 95 sentences where sys(2,1) uses at least one SLCFRS rule
- two native speakers of English with basic knowledge of German

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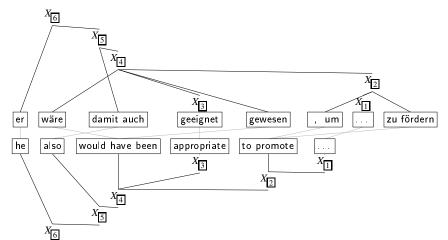
	sys(1,1)	sys(2,1)	=
e1	43	49	3
e2	46	47	2

Table: Result of the manual system comparison

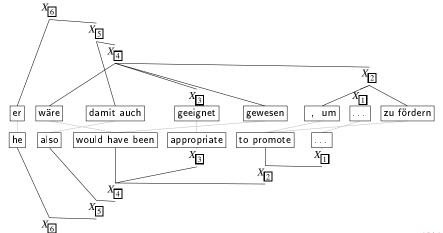
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$$\langle X(\mathsf{w\ddot{a}re}\ , Y_1\ \mathsf{gewesen}\ Y_2) \to X_{\boxed{11}}(Y_1)X_{\boxed{21}}(Y_2)\ , X(\mathsf{would}\ \mathsf{have}\ \mathsf{been}\ Y_1Y_2) \to X_{\boxed{11}}(Y_1)X_{\boxed{21}}(Y_2)\ \rangle$$



```
 \begin{array}{l} \langle X(\text{w\"{a}re }, Y_1 \text{ gewesen } Y_2) \rightarrow X_{\boxed{\square}}(Y_1) X_{\boxed{2}}(Y_2) \ , X(\text{would have been } Y_1 Y_2) \rightarrow X_{\boxed{\square}}(Y_1) X_{\boxed{2}}(Y_2) \rangle \\ \langle X(Y_1 \text{ damit auch } Y_2) \rightarrow X_{\boxed{\square}}(Y_1, Y_2) \qquad , X(\text{also } Y_1) \rightarrow X_{\boxed{\square}}(Y_1) \rangle \end{array}
```



Conclusions & Future Work

- Extension of the hierarchical phrase-based MT approach to discontinuous phrases
- SLCFRS as the translation grammar formalism
- Previous work on SCFG-based MT can be directly extended
- Modest improvement in BLEU score over the SCFG baseline
- Slight preference by the human evaluators for the translations produced by the SLCFRS system

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- Modest improvement in BLEU score over the SCFG baseline
- Slight preference by the human evaluators for the translations produced by the SLCFRS system
- More detailed evaluation
- Experiments with other language pairs

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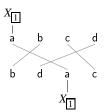
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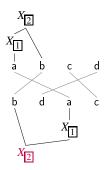
Results

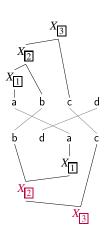
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moses		24.33	23.34

$$\langle X(\mathsf{a}) \to \varepsilon \qquad , X(\mathsf{a}) \to \varepsilon \rangle$$

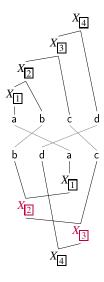


$$\begin{array}{l} \langle X(\mathsf{a}) \to \mathcal{E} &, X(\mathsf{a}) \to \mathcal{E} \rangle \\ \langle X(Y\mathsf{b}) \to X_{\boxed{\coprod}}(Y) &, X(\mathsf{b},Z) \to X_{\boxed{\coprod}}(Z) \rangle \end{array}$$

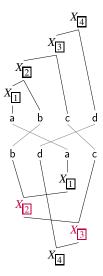


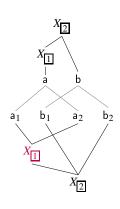


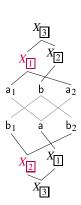
$$\begin{array}{l} \langle X(\mathsf{a}) \to \varepsilon &, X(\mathsf{a}) \to \varepsilon \rangle \\ \langle X(Y\mathsf{b}) \to X_{\boxed{\square}}(Y) \;, X(\mathsf{b},Z) \to X_{\boxed{\square}}(Z) \rangle \\ \langle X(Y\mathsf{c}) \to X_{\boxed{\square}}(Y) \;, X(Z_1,Z_2\mathsf{c}) \to X_{\boxed{\square}}(Z_1,Z_2) \rangle \end{array}$$



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Related Work

- Studies addressing the alignment coverage of a formalism w.r.t. gold alignments (Søgaard and Wu, 2009; Søgaard and Kuhn, 2009; Wellington et al., 2006; Søgaard, 2010; Kaeshammer, 2013)
 - → 5% of Chinese-English sentences have IO alignments
 - \rightarrow 9% of Spanish-French sentences and 5.5% of English-German sentences are beyond 2-SCFG
- SLCFRS are equivalent to Simple Range Concatenation Transducers (Bertsch and Nederhof, 2001) and Generalized Multitext Grammars (Melamed et al., 2004)
- Discontinuous phrase-based SMT (Galley and Manning, 2010)
 - → improvement in BLEU score for Chinese-English
 - → this work: hierarchical, tree-based counterpart

Features

- Standard features: direct and inverse translation probabilities, lexical translation probabilities, number of rules etc.
- MLE on the distribution of the extracted rules to obtain the translation probabilities
- Additional: number of gaps during a derivation (source gap degree and target gap degree of a rule)

Experimental Setup

- German-to-English translation
- Data from the WMT 2014 translation task (max. 30 words)
- Punctuation normalization, tokenization, truecasing, compound splitting for German with the Moses scripts
- Multi-threaded GIZA++ and grow-diag-final-and heuristics for word-aligning the training data
- Filter the translation grammar w.r.t. input data set by extracting per-sentence-grammars
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e2	46	47	2

Table: Result of the manual system comparison

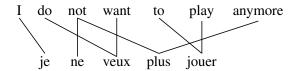
			e2	
		sys(1,1)	sys(2,1)	=
	sys(1,1)	29	13	1
e1	sys(2,1)	15	33	1
	=	2	1	0

Table: Confusion matrix of the decisions of the manual evaluation, Cohen's $\kappa = 0.338$

Notion of Alignment Capacity

Same as in previous related work

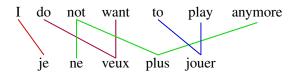
- A translation unit (TU) is a maximally connected subgraph of a given alignment structure.
- Alignment structure is divided into disjoint TUs.



Notion of Alignment Capacity

Same as in previous related work

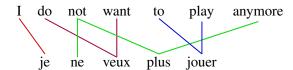
- A translation unit (TU) is a maximally connected subgraph of a given alignment structure.
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Notion of Alignment Capacity

Same as in previous related work

- A translation unit (TU) is a maximally connected subgraph of a given alignment structure.
- Alignment structure is divided into disjoint TUs.
- ullet Synchronously recognized or generated terminals are aligned o TU



LCFRS (1)

(Vijay-Shanker et al., 1987; Weir, 1988)

A tuple G = (N, T, V, P, S) where

- N: a finite set of non-terminals with a function $dim: N \to \mathbb{N}$ determining the **fan-out** of each $A \in N$;
- T and V: disjoint finite sets of terminals and variables;
- $S \in N$: start symbol with dim(S) = 1;
- P: a finite set of rewriting rules

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$$A(\alpha_1,\dots,\alpha_{\dim(A)})\to A_1(X_1^{(1)},\dots,X_{\dim(A_1)}^{(1)})\cdots A_m(X_1^{(m)},\dots,X_{\dim(A_m)}^{(m)})$$
 where

- ullet $A,A_1,\ldots,A_m\in N$, $X_j^{(i)}\in V$ for $1\leq i\leq m$, $1\leq j\leq dim(A_i)$, and
- $\alpha_i \in (T \cup V)^*$ for $1 \le i \le dim(A)$, for a rank $m \ge 0$.

LCFRS (2)

$$A(\alpha_1, \dots, \alpha_{dim(A)}) \to A_1(X_1^{(1)}, \dots, X_{dim(A_1)}^{(1)}) \cdots A_m(X_1^{(m)}, \dots, X_{dim(A_m)}^{(m)})$$

- Every variable X in $r \in P$ occurs exactly once in the LHS and exactly once in the RHS of r.
- r describes how the yield of the LHS non-terminal is computed from the yields of the RHS non-terminals.
- The yield of S is the language of the grammar.
- Rank u of G: the maximal rank of any of its rules
- Fan-out v of G: the maximal fan-out of any of its non-terminals.

Normal Form

Conditions:

- **1** u_G ≤ 2
- ② For all $r \in P$ it holds that that the LHS arguments of r_s and r_t contain either terminals or variables but not mixture of both.

NF-ITG \leftrightarrow $(2,2_{1|1})$ -SLCFRS in normal form ITG of rank 2 \leftrightarrow $(2,2_{1|1})$ -SLCFRS

Different alignment capacity of normal form and full class

Bitext Parsing Complexity

SLCFRS in normal form with fan-out v

$$\mathcal{O}(n^{3v})$$

(assuming that $n_s \approx n_t$)

Bitext Parsing Complexity

SLCFRS in normal form with fan-out v

$$\mathcal{O}(n^{3v})$$

(assuming that $n_s \approx n_t$)

Which fan-out v is required to cover the alignment configurations that occur in manually aligned data?

Graça	en-fr
•	en-pt
	en-es
	pt-fr
	pt-es
	es-fr
Martin	en-ro
	en-hi
	en-iu
Pado	en-de
Mihal.	en-fr
CDT	da-en
	da-de
	da-es
	da-it
Holmqv.	en-sv
Schoen.	en-de
Lambert	en-es
Macken	en-nl

		NF		u = 2	
		$v = 2_{1 1}$	<u>-</u>		
		= NF-ITG			
Graça	en-fr	73.00			
	en-pt	76.00			
	en-es	82.00			
	pt-fr	73.00			
	pt-es	90.00			
	es-fr	74.00			
Martin	en-ro	45.07			
	en-hi	82.73			
	en-iu	40.66			
Pado	en-de	73.74			
Mihal.	en-fr	67.56			
CDT	da-en	72.90			
	da-de	64.87			
	da-es	66.61			
	da-it	69.01			
Holmav.	en-sv	82.83			
Schoen.	en-de	29.15			
Lambert	en-es	47.15			
Macken	en-nl	57.14			

		NF	u = 2	
		$v = 2_{1 1}$	$v = 2_{1 1}$	
		= NF-ITG	= ITG	
Graça	en-fr	73.00	95.00	
	en-pt	76.00	98.00	
	en-es	82.00	96.00	
	pt-fr	73.00	92.00	
	pt-es	90.00	99.00	
	es-fr	74.00	91.00	
Martin	en-ro	45.07	95.07	
	en-hi	82.73	96.36	
	en-iu	40.66	100.00	
Pado	en-de	73.74	94.41	
Mihal.	en-fr	67.56	95.30	
CDT	da-en	72.90	97.80	
	da-de	64.87	94.94	
	da-es	66.61	97.50	
	da-it	69.01	97.95	
Holmqv.	en-sv	82.83	95.60	
Schoen.	en-de	29.15	76.11	
Lambert	en-es	47.15	94.85	
Macken	en-n	57.14	94.86	

		NF	u = 2			
		$v = 2_{1 1}$	$v = 2_{1 1}$	1	Søgaard	(2010)
		= NF-ITG	= ITG		NF-ITG	ITG
Graça	en-fr	73.00	95.00		65.00	68.00
	en- pt	76.00	98.00		65.00	67.00
	en-es	82.00	96.00		73.00	74.00
	pt-fr	73.00	92.00		63.00	63.00
	pt-es	90.00	99.00		80.00	81.00
	es-fr	74.00	91.00		68.00	68.00
Martin	en-ro	45.07	95.07			
	en-hi	82.73	96.36			
	en-iu	40.66	100.00			
Pado	en-de	73.74	94.41			
Mihal.	en-fr	67.56	95.30			
CDT	da-en	72.90	97.80			
	da-de	64.87	94.94			
	da- es	66.61	97.50			
	da-it	69.01	97.95			
Holma	v. en-sv	82.83	95.60			
Schoen	. en-de	29.15	76.11			
Lambe	<i>rt</i> en-es	47.15	94.85			
Mackei	n en-nl	57.14	94.86			

		l NF I		u = 2		
		$v = 2_{1 1}$	$v = 4_{2 2}$	$v = 2_{1 1}$	Søgaard	(2010)
		= NF-ITG		= ITG	NF-ITG	ITG
Graça	en-fr	73.00	100.00	95.00	65.00	68.00
	en-pt	76.00	100.00	98.00	65.00	67.00
	en-es	82.00	100.00	96.00	73.00	74.00
	pt-fr	73.00	97.00	92.00	63.00	63.00
	pt-es	90.00	99.00	99.00	80.00	81.00
	es-fr	74.00	100.00	91.00	68.00	68.00
Martin	en-ro	45.07	97.85	95.07		
	en-hi	82.73	100.00	96.36		
	en-iu	40.66	95.60	100.00		
Pado	en-de	73.74	100.00	94.41		
Mihal.	en-fr	67.56	98.88	95.30		
CDT	da-en	72.90	98.93	97.80		
	da-de	64.87	98.42	94.94		
	da-es	66.61	97.68	97.50		
	da-it	69.01	97.65	97.95		
Holmqv.	en-sv	82.83	99.78	95.60		
Schoen.	en-de	29.15	94.74	76.11		
Lambert	en-es	47.15	97.83	94.85		
Macken	en-nl	57.14	98.86	94.86		

			l NF I		u = 2		
			$v = 2_{1 1}$	$v = 4_{2 2}$	$v = 2_{1 1}$	Søgaard	(2010)
			= NF-ITG	1	= ITG	NF-ITG	ITG
_	Graça	en-fr	73.00	100.00	95.00	65.00	68.00
		en-pt	76.00	100.00	98.00	65.00	67.00
		en-es	82.00	100.00	96.00	73.00	74.00
		pt-fr	73.00	97.00	92.00	63.00	63.00
		pt-es	90.00	99.00	99.00	80.00	81.00
		es-fr	74.00	100.00	91.00	68.00	68.00
	Martin	en-ro	45.07	97.85	95.07		
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	Macken	en-nl	57.14	98.86	94.86		

		l NF		u =	= 2		
		$v = 2_{1 1}$	$v = 4_{2 2}$	$v = 2_{1 1}$	$v = 4_{2 2}$	Søgaard	(2010)
		= NF-ITG	,	= ITG	,	NF-ITG	ITG
Graça	en-fr	73.00	100.00	95.00	100.00	65.00	68.00
	en-pt	76.00	100.00	98.00	100.00	65.00	67.00
	en-es	82.00	100.00	96.00	100.00	73.00	74.00
	pt-fr	73.00	97.00	92.00	100.00	63.00	63.00
	pt-es	90.00	99.00	99.00	100.00	80.00	81.00
	es-fr	74.00	100.00	91.00	100.00	68.00	68.00
Martin	en-ro	45.07	97.85	95.07	100.00		
	en-hi	82.73	100.00	96.36	100.00		
	en-iu	40.66	95.60	100.00	100.00		
Pado	en-de	73.74	100.00	94.41	100.00		
Mihal.	en-fr	67.56	98.88	95.30	100.00		
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	da-de	64.87	98.42	94.94	100.00		
	da-es	66.61	97.68	97.50	100.00		
	da-it	69.01	97.65	97.95	100.00		
Holmqv.	en-sv	82.83	99.78	95.60	100.00		
Schoen.	en-de	29.15	94.74	76.11	100.00		
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		l NF I		<i>u</i> =	= 2		
		$v = 2_{1 1}$	$v = 4_{2 2}$	$v = 2_{1 1}$	$v = 4_{2 2}$	Søgaard	(2010)
		= NF-ITG	1	= ITG	ı	NF-ITG	ITG
Graça	en-fr	73.00	100.00	95.00	100.00	65.00	68.00
	en- pt	76.00	100.00	98.00	100.00	65.00	67.00
	en-es	82.00	100.00	96.00	100.00	73.00	74.00
	pt-fr	73.00	97.00	92.00	100.00	63.00	63.00
	pt-es	90.00	99.00	99.00	100.00	80.00	81.00
	es-fr	74.00	100.00	91.00	100.00	68.00	68.00
Martin	en-ro	45.07	97.85	95.07	100.00		
	en-hi	82.73	100.00	96.36	100.00		
	en-iu	40.66	95.60	100.00	100.00		
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